

COURSE: CALCULUS I

DEGREE: BACHELOR IN MECHANICAL ENGINEERING

YEAR: FIRST

TERM: FIRST

WEEKLY PLANNING										
WEEK	SESSION	DESCRIPTION	GROUPS (mark X)		SPECIAL ROOM FOR SESSION (Computer	Indicate YES/NO If the	WEEKLY PROGRAMMING FOR STUDENT			
			LECTURES	SEMINARS	class room, audio-visual class room)	session needs 2 teachers	DESCRIPTION	CLASS HOURS	HOMEWORK HOURS (Max. 7h week)	
1	1	Presentation of the subject Theory Unit 1: Real numbers	x			No	 Presentation of the subject Proofs: Induction P. The real line Intervals, inequalities, absolute value 	2,5	5	
1	2	Presentation Exercises Unit 1		x		No	 Presentation of the problem classes Exercises Unit 1 	2,5		
2	3	Theory Unit 2: Sequences of Real numbers	x			No	 Definition and properties of sequences Limits of sequences 	2,5	5	
2	4	Exercises Unit 2		Х		No	- Exercises Unit 2	2,5		
3	5	Theory Unit 3: Series of Real numbers	x			No	 Definition and characterization of series Convergence criteria Tecniques for evaluating sum of series 	2,5	5	
3	6	Exercises Unit 3		X		No	- Exercises Unit 3	2,5		

4	7	Theory Unit 4: Function of Real Variable	x		No	- Definition and characterization of function - Elementary functions	2,5	5
4	8	Exercises Unit 4		Х	No	- Exercises Unit 4	2,5	
5	9	Theory Unit 5: Limits of Functions	x		No	 Definition and properties of limits of functions Basic techniques to calculate limits Indeterminations and equivalent infinitesimal 	2,5	5
5	10	Exercises Unit 5		Х	No	- Exercises Unit 5	2,5	
6	11	Theory Unit 6: Continuous Functions	x		No	 Definition and properties of continuous functions Bolzano's theorem 	2,5	5
6	12	Exercises Unit 6		Х	No	- Exercises Unit 6	2,5	
7	13	Review	Х		No	- Review of the first part of the program	2,5	_
7	14	Assessment Test 1		Х	No	- Assessment Test 1	2,5	- 5
8	15	Theory Unit 7: Differentiation	x		No	 Definition and properties of differentiation of functions Mean value theorem Rules of differentiation 	2,5	5
8	16	Exercises Unit 7		Х	No	- Exercises Unit 7	2,5	
9	17	Theory Unit 8: Taylor Polynomial	x		No	 Definition and properties of the Taylor polynomial Rest of Taylor Taylor polynomial calculation 	2,5	5
9	18	Exercises Unit 8		Х	No	- Exercises Unit 8	2,5	
10	19	Theory Unit 9: Applications of differential calculus	x		No	 Local study of functions Convexity and asymptotes Global study of functions Optimization 	2,5	5
10	20	Exercises Unit 9		Х	No	- Exercises Unit 9	2,5	
11	21	Theory Unit 10: Integral Calculus	x		No	 Definition of Integral. Riemann sums Geometric interpretation of the integral Fundamental Theorem of Integral Calculus Barrow's Rule 	2,5	5
11	22	Exercises Unit 10		Х	No	- Exercises Unit 10	2,5	
12	23	Theory Unit 11: Techniques to Calculate Primitives	x		No	 Elementary techniques for calculating integrals Substitution method, by parts and change of variable Rational integrals 	2,5	5
12	24	Exercises Unit 11		Х	No	- Exercises Unit 11	2,5	

13	25	Theory Unit 12: Applications of the Integration	x		No	 Calculation of areas of plane figure Volumes of revolution Lengths of curves 	2,5	5
13	26	Exercises Unit 12		Х	No	- Exercises Unit 12	2,5	
14	27	Review	Х		No	- Review of the second part of the program	2,5	_
14	28	Assessment Test 2		X	No	- Assessment Test 2	2,5	- 5
				· ·		Subtotal 1	70	70
Total 1 (Hours of class plus student homework hours between weeks 1-14)						140		
15		Tutorials, handing in, etc.					5	5
16								
17		Assessment					5	5
18								
	-					Subtotal 2	10	10
Total 2 (Hours of class plus student homework hours between weeks 15-18)						20		
TOTAL (Total 1 + Total 2. <u>Maximum 180 hours</u>)						160		