

COURSE: Linear Algebra						
DEGREE: Degree in Telematics Engineering	YEAR: 1	TERM: 1				
The course has 28 lectures distributed along 14 weeks + an extra theoretical lecture on complex numbers						

	WEEKLY PLANNING							
WEEK	SESSION	DESCRIPTION	GROUPS (mark X)		Special room for session (computer classroom,			
	_		LECTU RES	SEMIN ARS	audio-visual classroom)	DESCRIPTION	CLASS HOURS	HOMEWORK HOURS (Max. 7h week)
1	1	 Systems of linear equations (Lay 1.1, see Notes at the end) Solution of a linear system Matrix notation Solving a linear system Elementary row operations Row equivalence Row reduction and echelon form (Lay 1.2)	X			Study of the book (*1, see Notes at the end)	1,66	7

		Uniqueness theorem for the echelon form					
		Pivot positions					
		Gauss algorithm					
		 Solutions of systems of equations 					
		Uniqueness and existence theorem					
1	2	Selected exercises (*2, see Notes at the end)		Х	Odd exercises. Compare with solutions (*3, see Notes at the end)	1,66	
		Vector equations (Lay 1.3)	Х		Study of the book (*1)	1,66	7
		• Vectors in R ⁿ					
		Linear combinations					
2	3	Spanned subspace					
		Matrix equation Ax=b (Lay 1.4)					
		Relationship with systems of equations					
		 Linearity of the product A x 					
2	4	Selected exercises (*2)		X	Odd exercises. Compare with solutions (*3)	1,66	
		Structure of the solution of a system of equations (Lay 1.5)	Х		Study of the book (*1)	1,66	7
		Homogeneous linear systems					
3	5	Inhomogeneous linear systems					
		Linear independence (Lay 1.7)					
		Characterization of linearly dependent sets					
3	6	Selected exercises (*2)		X	Odd exercises. Compare with solutions (*3)	1,66	
		Introduction to linear transformations (Lay 1.8)	Х		Study of the book (*1)	1,66	7
		The matrix of a linear transformation (Lay 1.9)					
4	7	One-to-one and onto mappings					
		Matrix operations (Lay 2.1)					
		Sum and product by scalars					
		Matrix multiplication					

		Transpose of a matrix					
4	8	Selected exercises (*2)		X	Odd exercises. Compare with solutions (*3)	1,66	
5	9	 Inverse of a matrix (Lay 2.2) Relationship with the uniqueness of the solutions of Ax=b Properties Characterization of invertible matrices Algorithm to compute inverses. Partiotioned matrices (Lay 2.4) Row column product Column row product Inverses of partitioned matrices 	X		Study of the book (*1)	1,66	7
5	10	Test on chapter 1. Selected exercises (*2)		X	Odd exercises. Compare with solutions (*3)	1,66	
6	11	 Introduction to determinants (Lay 3.1) Expansion in cofactors Determinant of a triangular matrix Properties of determinants (Lay 3.2) Row transformations Determinant and invertibility Determinant of a product of matrices EXTRA THEORETICAL LECTURE: Complex numbers (Lay, Appendix B and additional material available in AULA GLOBAL)	X		Study of the book (*1)	1,66	7
6	12	Selected exercises (*2)		X	Odd exercises. Compare with solutions (*3)	1,66	
7	13	Subspaces in R ⁿ (Lay 2.8, 4.1)	Х		Study of the book (*1)	1,66	7

		 Spanned subspace, spanning set Kernel and column space of a matrix (Lay 2.8, 4.2) Relationship of the kernel with an homogeneous system Parametric equations for the kernel 					
7	14	Selected exercises (*2)		Х	Odd exercises. Compare with solutions (*3)	1,66	
8	15	 Basis in Rⁿ and in subspaces (Lay 2.9, 4.3) Spanning set theorem Linear dependence relations in the columns of a matrix Basis for Col A and Nul A Coordinate systems (Lay 2.9, 4.4) Coordinate mapping as a bijection 	X		Study of the book (*1)	1,66	7
8	16	Selected exercises (*2)		X	Odd exercises. Compare with solutions (*3)	1,66	
9	17	 Dimension of a vector space (Lay 2.9, 4.5) Dimension theorem Basis theorem Dimensions of Nul A and Col A Rank (Lay 4.6) Rank theorem Change of basis (Lay 4.7) Change of basis matrix 	X		Study of the book (*1)	1,66	7
9	18	Test on chapters 2, 3 and complex numbers. Selected exercises (*2)		X	Odd exercises. Compare with solutions (*3)	1,66	
10	19	Eigenvalues and eigenvectors (Lay 5.1)	Х		Study of the book (*1)	1,66	7

		Linear independence of eigenvectors.Eigenspaces.					
		The characteristic equation (Lay 5.2)					
		Relationship with invertibilitySimilarity invariance.					
		Matrix diagonalization (Lay 5.3)					
		Fundamental theoremDiagonalization method					
10	20	Selected exercises (*2)		X	Odd exercises. Compare with solutions (*3)	1,66	
		Scalar product, norm and orthogonality (Lay 6.1)	X		Study of the book (*1)	1,66	7
		DistanceOrthogonal complement					
11	21	Orthogonal sets (Lay 6.2)					
		 Linear independence Orthogonal and orthonormal basis Coordinates in orthogonal basis Orthogonal matrices 					
11	22	Selected exercises (*2)		X	Odd exercises. Compare with solutions (*3)	1,66	
12	23	 Orthogonal projections (Lay 6.3) Orthogonal decomposition theorem Best approximation theorem Orthogonal projection matrix 	X		Study of the book (*1)	1,66	7
12	24	Selected exercises (*2)		X	Odd exercises. Compare with solutions (*3)	1,66	
13	25	Gram-Schmidt method (Lay 6.4) QR factorization (Lay 6.4)	X		Study of the book (*1)	1,66	7

		Least-squares problems (Lay 6.5)					
		Solution with projectionsNormal equations					
13	26	Selected exercises (*2)		X	Odd exercises. Compare with solutions (*3)	1,66	
14	27	 Diagonalization of symmetric matrices (Lay 7.1) Real character of eigenvalues 	X		Study of the book (*1)		7
		 Orthogonality of eigenvectors Spectral theorem 					
14	28	Test on chapters 4,5 and 6.		X	Odd exercises. Compare with solutions (*3)	1,66	
		Selected exercises (*2)			Subtotal 1	46,66	98
		Total 1 (Hours of	class plus stu	ident homew	ork hours between weeks 1-14)		1

15		Tutorials, handing in, etc						7
16								
17		Preparation for evaluations, assessment Final exam					3,33	7
18								
	Subtotal 2					3,33	14	
	Total 2 (Hours of class plus student homework hours between weeks 15-18)							

TOTAL (Total 1 + Total 2)	162
	1

Notes:

(Lay 1.3) Section of D. C. Lay's book containing the material covered in the corresponding session.

(*1)Study the corresponding sessions in D. C. Lay's book.

(*2)Selected exercises from D. C. Lay's book corresponding to the previous lecture in large group.

(*3)Do some of the odd exercises in D. C. Lay's book corresponding to the previous lecture in large group and compare with the solutions in the book.